

Cooperative control, sailboats and underwater robots

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1 Reliable control

The robot satisfies a state equation

$$\dot{\mathbf{x}} = \mathbf{f}(\mathbf{x}, \mathbf{u}) .$$

With the controller $\mathbf{u} = \mathbf{g}(\mathbf{x})$, the robot satisfies an equation of the form

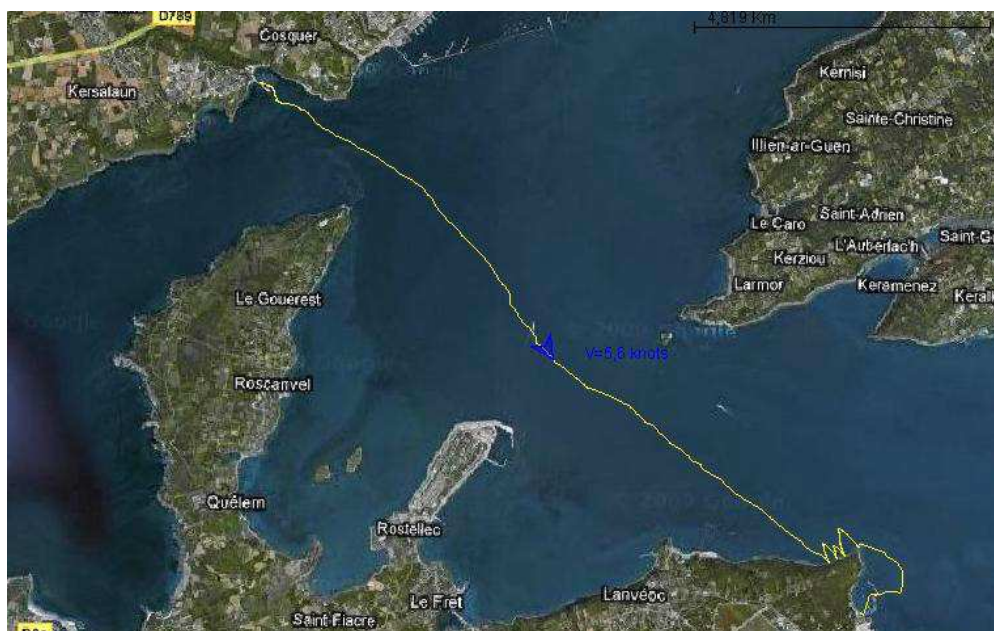
$$\dot{\mathbf{x}} = \mathbf{f}(\mathbf{x}) .$$

With all uncertainties, the robot satisfies.

$$\dot{\mathbf{x}} \in \mathbf{F}(\mathbf{x})$$

which is *a differential inclusion*.







France is the start line.

If you are not seeing any tracks on the map try reloading the page, sometimes they don't appear. Alternatively you can download the map for viewing in [google earth](#).

Boat	Team	Status	Latitude	Longitude	Time	Time Sailing
BREIZH	Breizh	Started	48.431	-6.2067	2011-09-24 19:48:47	197:8
BREIZH	Breizh	Started	48.431	-6.2067	2011-09-24 19:48:47	197:8

Breizh Spirit 2011-09-16 17:44:25
Spot Message

Plan Satellite

Breizh Spirit 2011-09-24 19:48:47
Spot Message

Plan

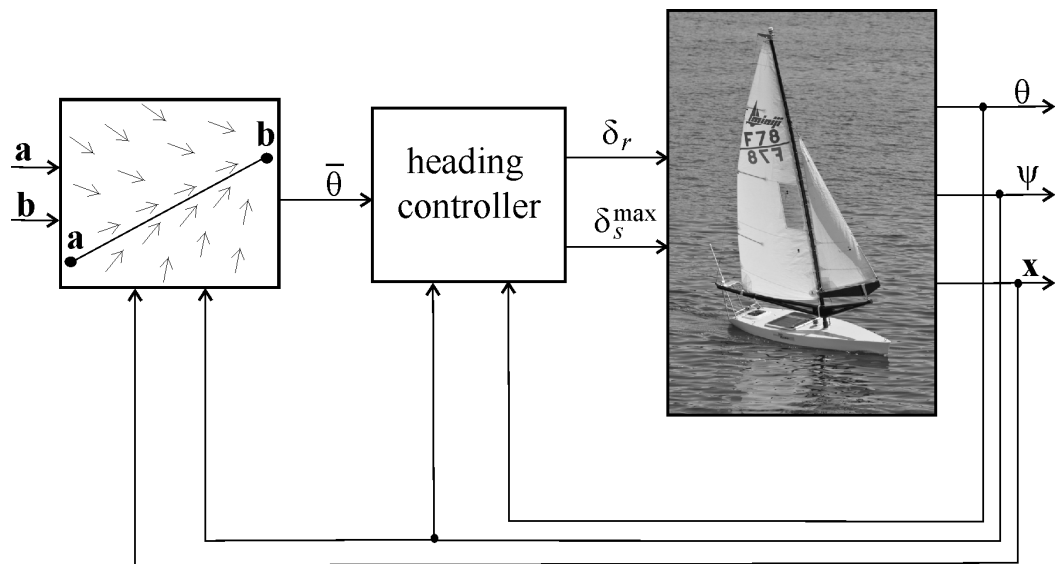


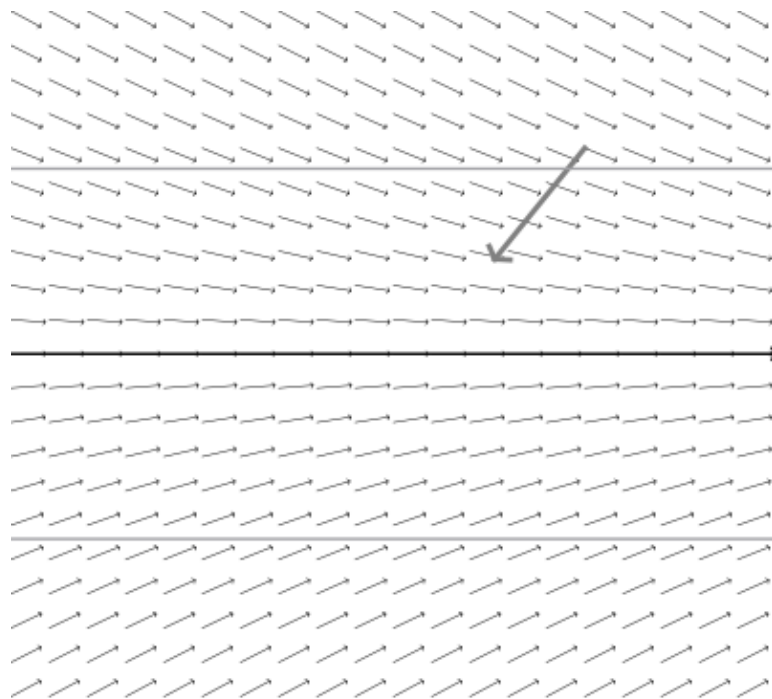






Vaimos (IFREMER and ENSTA)





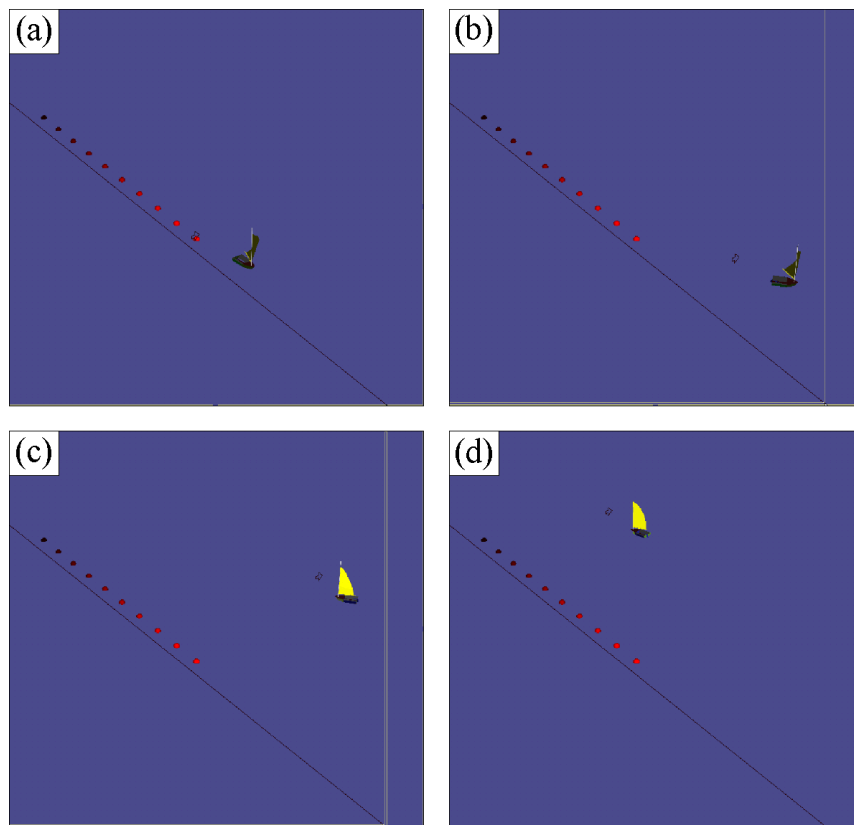
$$\theta^* = -\frac{2 \cdot \gamma_{\infty}}{\pi} \cdot \text{atan}\left(\frac{e}{r}\right)$$

Controller in: $\mathbf{m}, \theta, \psi, \mathbf{a}, \mathbf{b}$; out: $\delta_r, \delta_s^{\max}$; inout: q

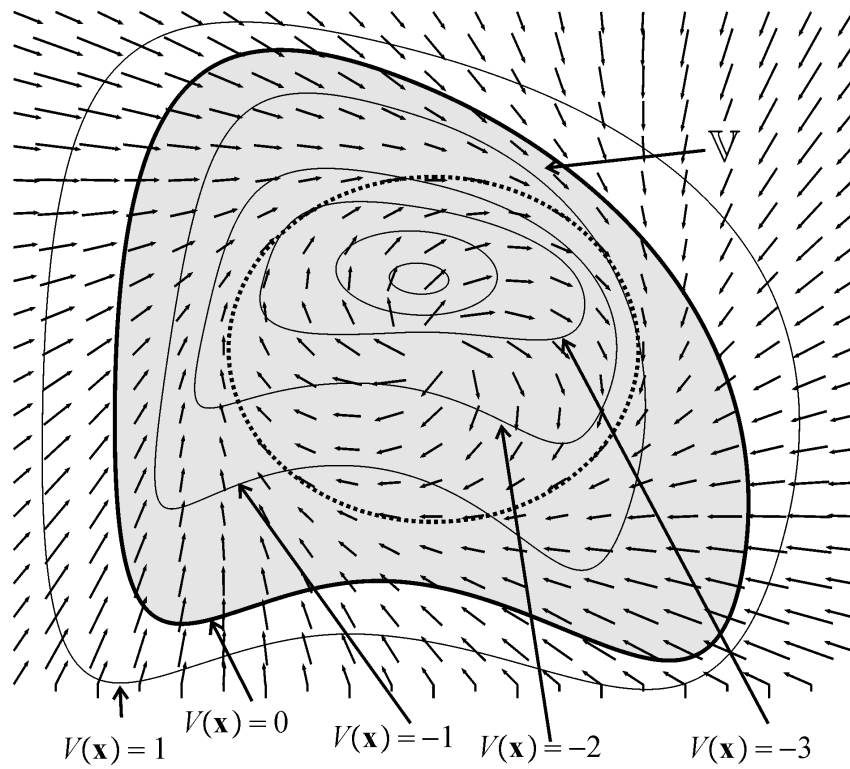
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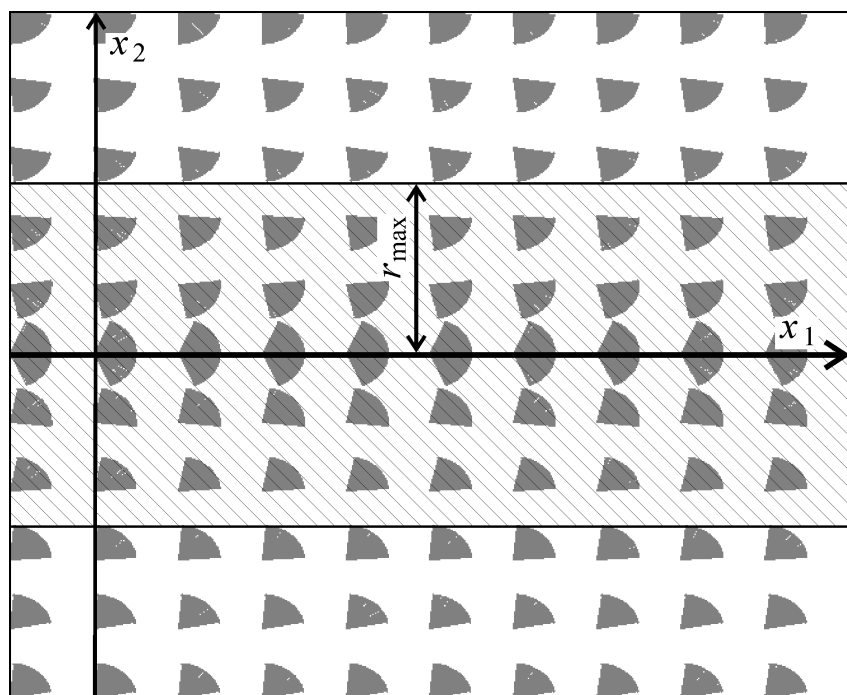
1   $e = \det \left( \frac{\mathbf{b} - \mathbf{a}}{\|\mathbf{b} - \mathbf{a}\|}, \mathbf{m} - \mathbf{a} \right)$ 
2  if  $|e| > \frac{r}{2}$  then  $q = \text{sign}(e)$ 
3   $\varphi = \text{atan2}(\mathbf{b} - \mathbf{a})$ 
4   $\theta^* = \varphi - \frac{2 \cdot \gamma_\infty}{\pi} \cdot \text{atan}\left(\frac{e}{r}\right)$ 
5  if  $\cos(\psi - \theta^*) + \cos \zeta < 0$ 
6    or  $(|e| < r \text{ and } (\cos(\psi - \varphi) + \cos \zeta < 0))$ 
7    then  $\bar{\theta} = \pi + \psi - q \cdot \zeta$ .
8    else  $\bar{\theta} = \theta^*$ 
9  end
10 if  $\cos(\theta - \bar{\theta}) \geq 0$  then  $\delta_r = \delta_r^{\max} \cdot \sin(\theta - \bar{\theta})$ 
11 else  $\delta_r = \delta_r^{\max} \cdot \text{sign}(\sin(\theta - \bar{\theta}))$ 
12  $\delta_s^{\max} = \frac{\pi}{2} \cdot \left( \frac{\cos(\psi - \bar{\theta}) + 1}{2} \right)^q$ .

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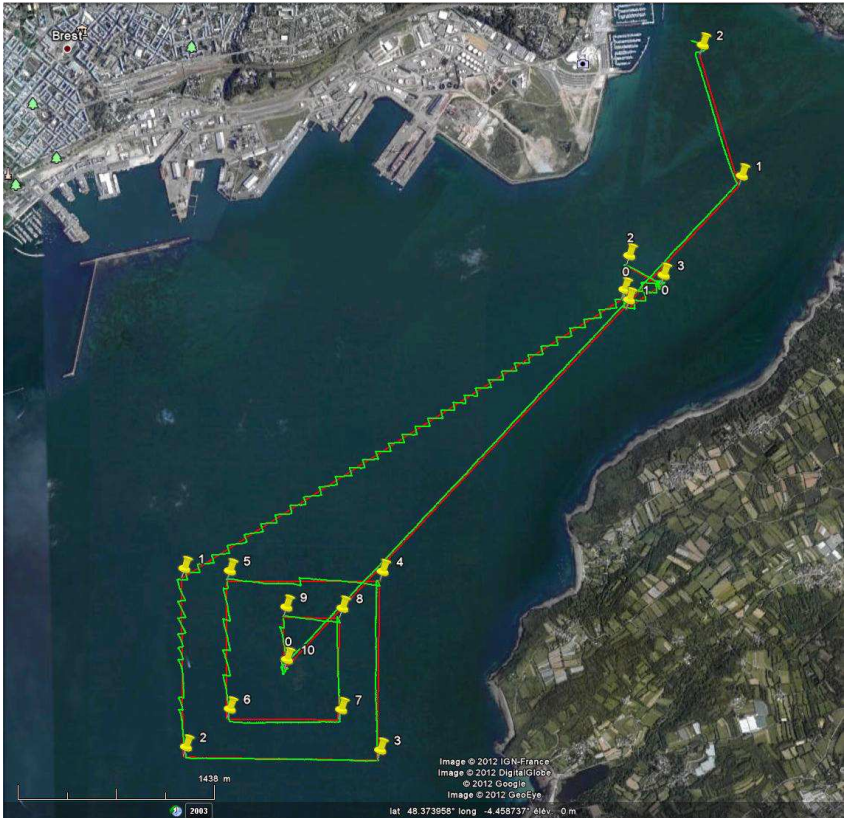


Validation by simulation





Brest



Brest-Douarnenez. January 17, 2012, 8am

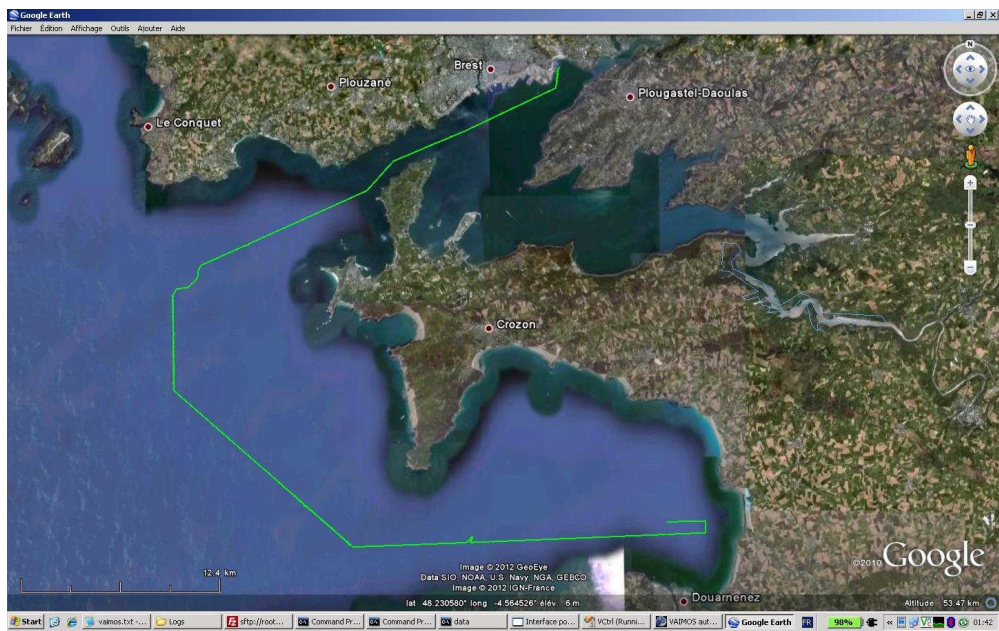












Montrer la mise à l'eau

Middle of Atlantic ocean



350 km made by Vaimos in 53h, September 6-9, 2012.

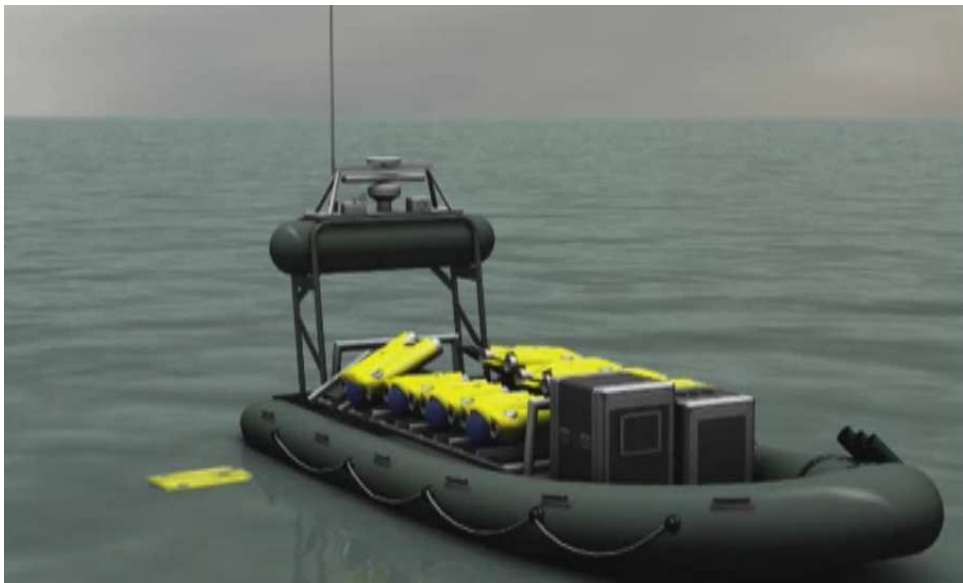
Consequence.

It is possible for a sailboat robot to navigate inside a corridor.

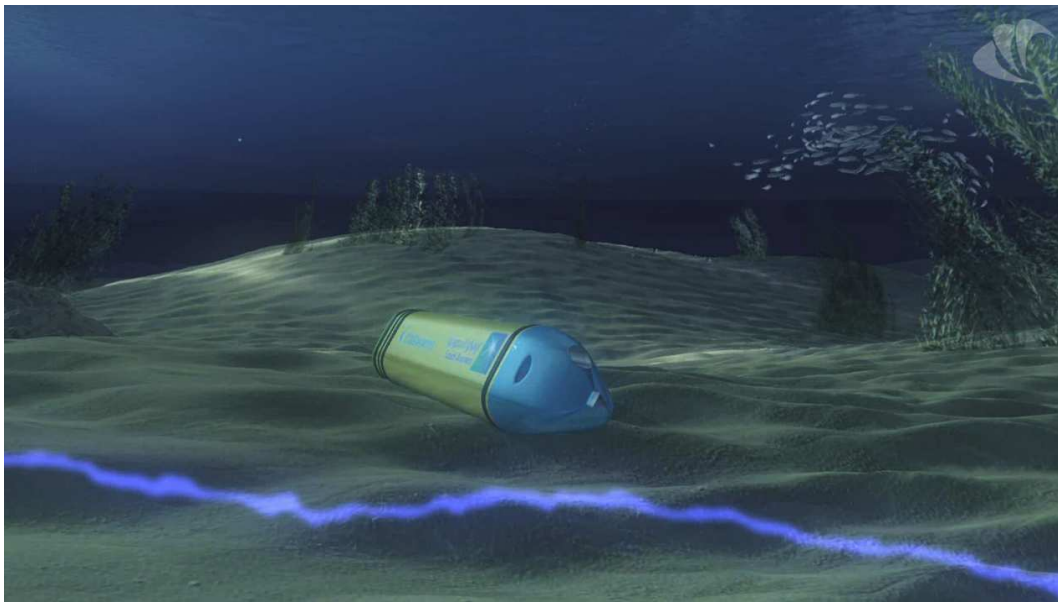
Essential, to create circulation rules when robot swarms are considered.

Essential to determine who has to pay in case of accident.

2 Reliable exploration with squads



With Thales



Spicerack, with CGG

