

Suivi de route pour un robot voilier

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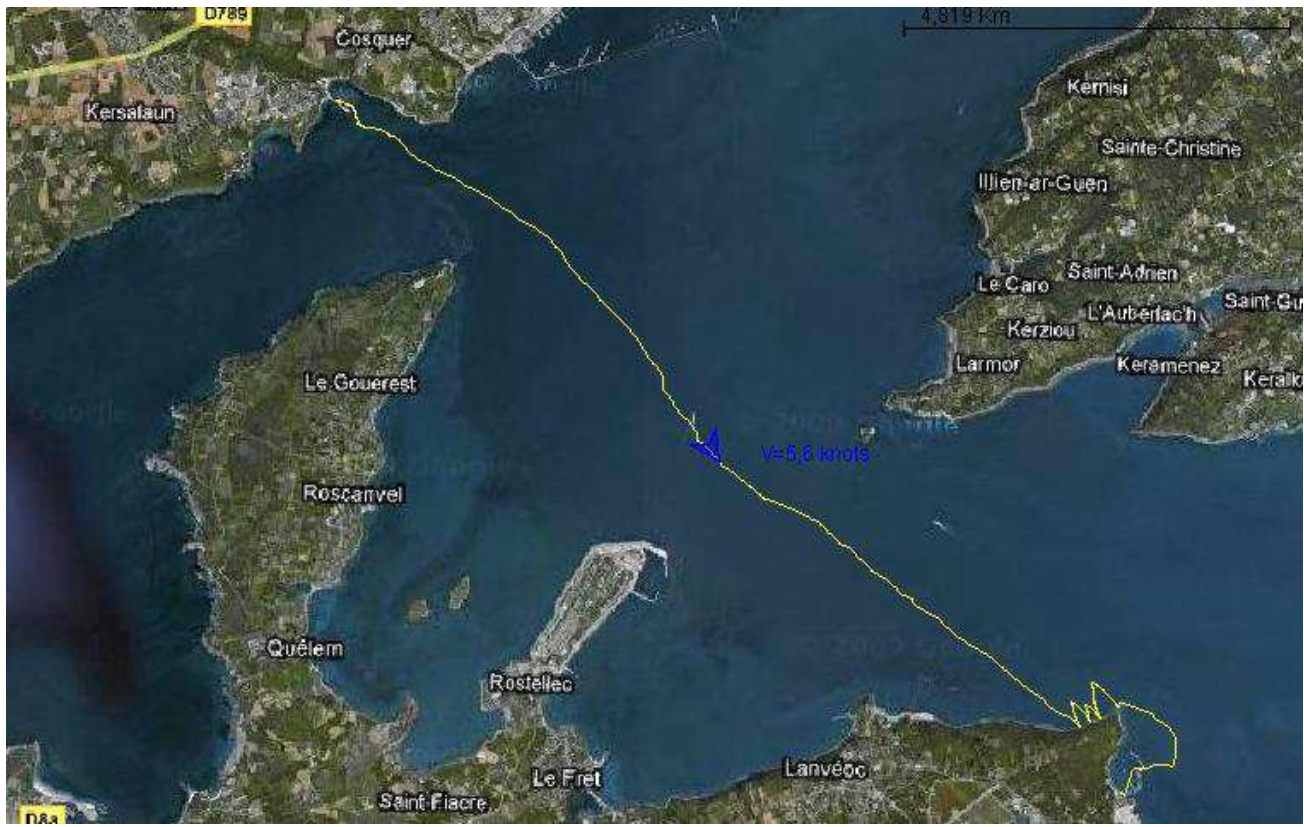
...

ENSTA-Bretagne, IFREMER, Brest.

LabSTICC, IHSEV, OSM.

1 Sailboat robotics





- 2006 Transat Race
- 2007 Aberystwyth Race
- 2010 Transatlantic Race
- 2011 Transatlantic Race
- Live Tracking
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France is the start line.

If you are not seeing any tracks on the map try reloading the page, sometimes they don't appear. Alternatively you can download the map for viewing in [google earth](#).

Boat	Team	Status	Latitude	Longitude	Time	Time Sailing
Breizh Spirit	ENSTA-Bretagne	Started: 2011-09-16 14:00:00	49.431	-6.3907	2011-09-24 19:49:47	197.8 Hours

Breizh Spirit 2011-09-16 17:44:25 Plan Satellite
Spot Message

Données cartographiques ©2011 Google, Tele Atlas

Breizh Spirit 2011-09-24 19:49:47 Plan
Spot Message

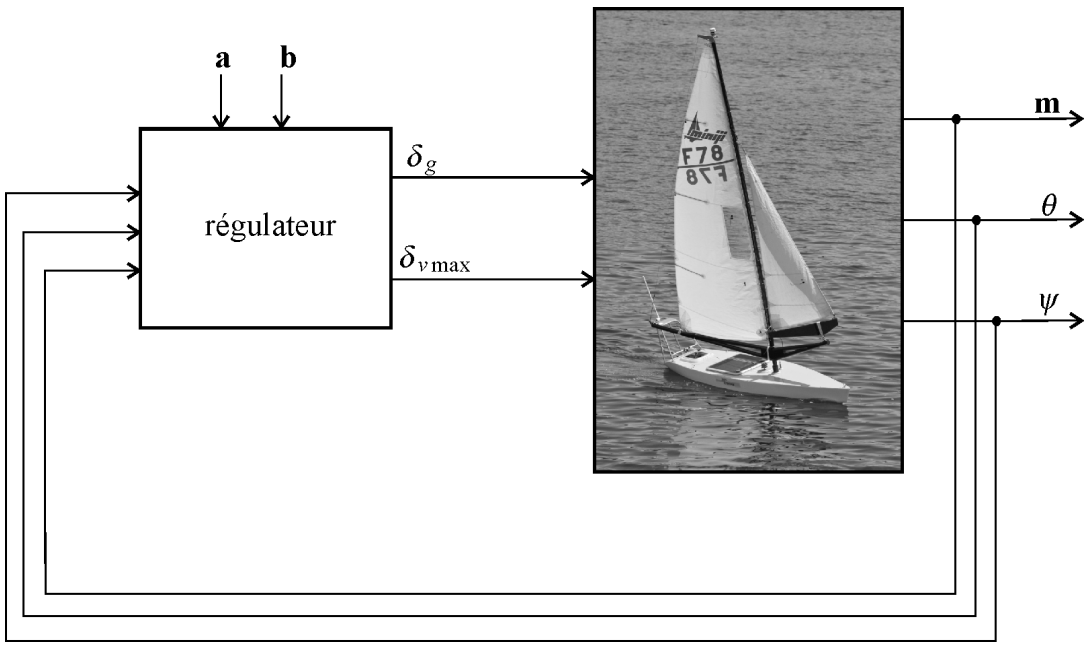
Données cartographiques ©2011 Google, Tele Atlas











2 Brest-Douarnenez

Départ le 17 janvier 2012 à 8h.













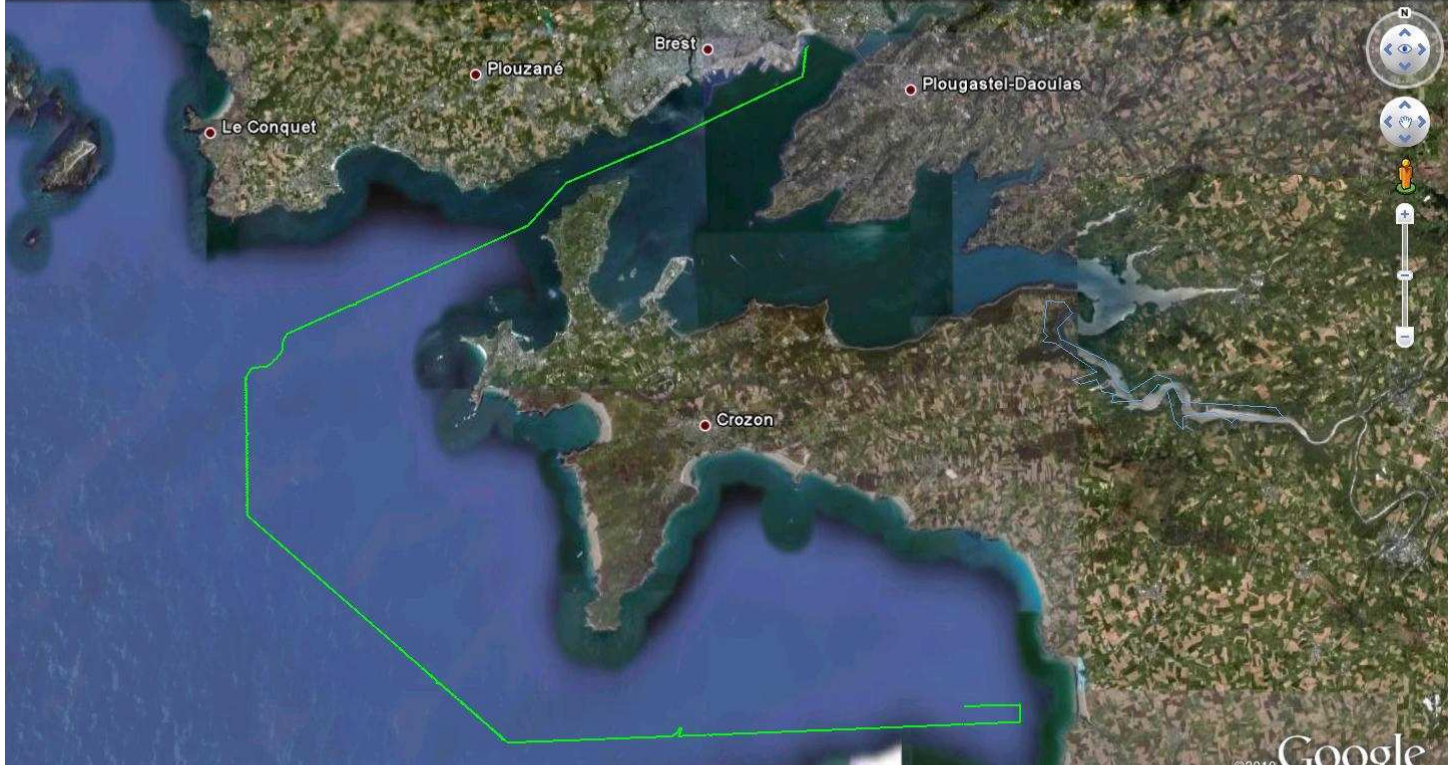
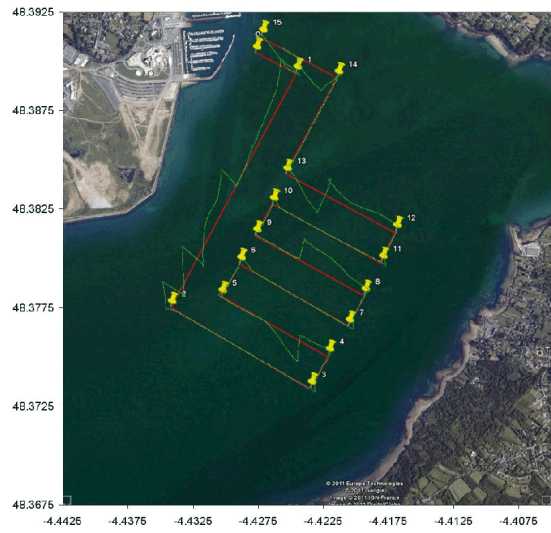
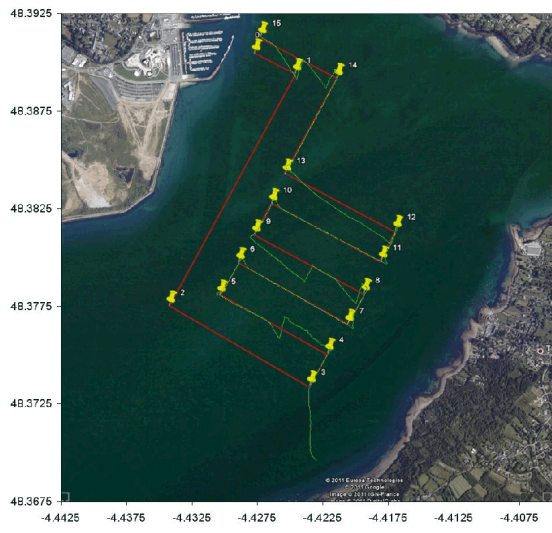
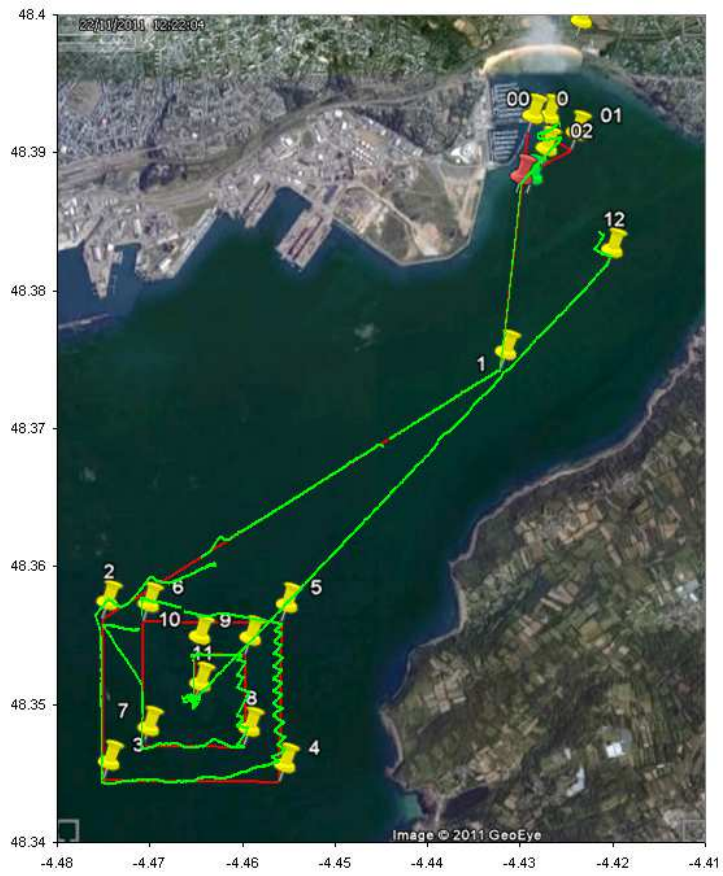


Image © 2012 GeoEye
Data SIO, NOAA, U.S. Navy, NGA, GEBCO
Image © 2012 IGN-France

lat 48.230580° long -4.564526° élév. 6 m Altitude 53.47 km





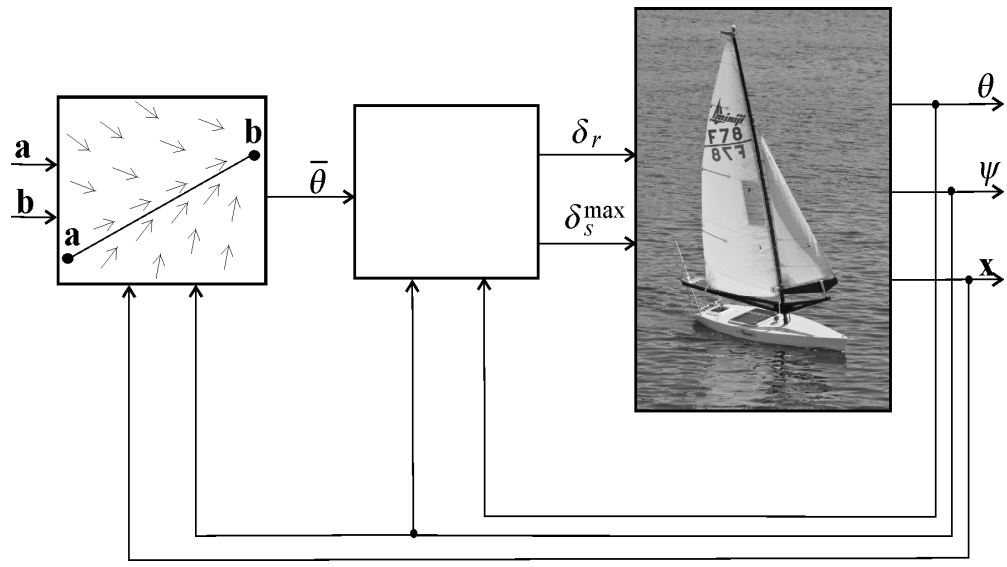


Il est donc possible pour un robot voilier de rester dans sa bande.

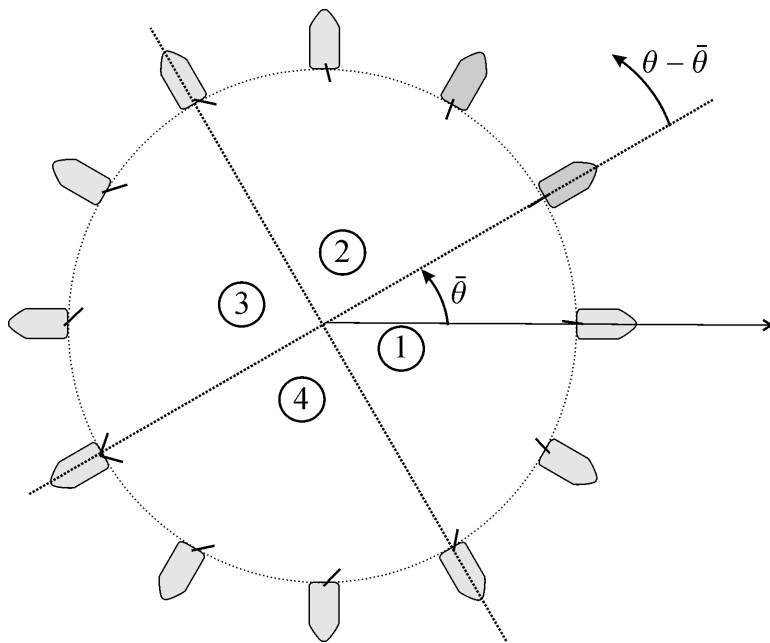
Indispensable pour créer des règles de circulation lorsqu'on travaille avec des meutes.

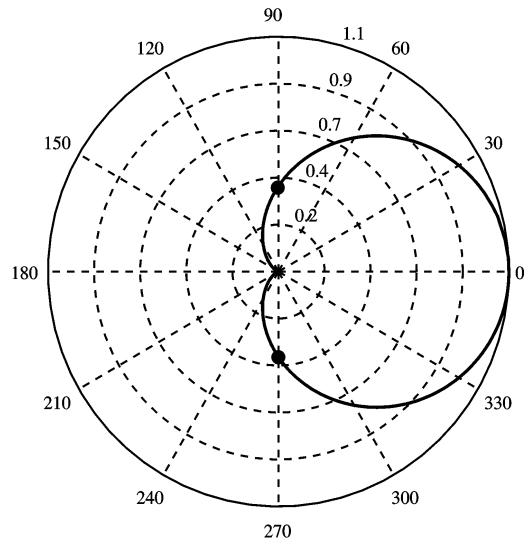
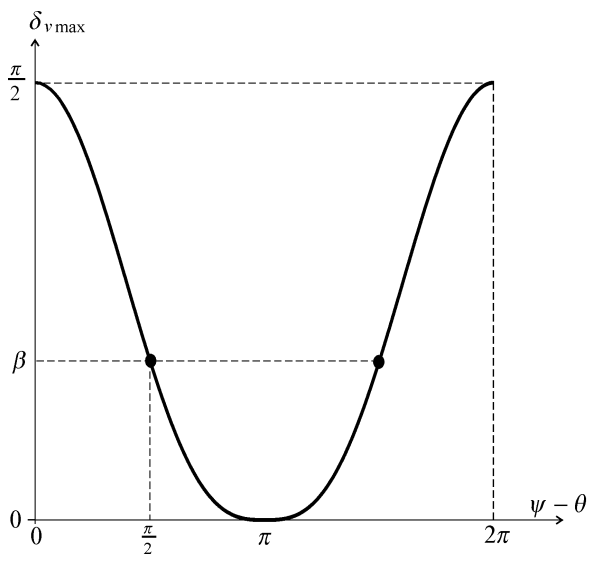
Indispensable pour déterminer les responsabilités en cas d'accident.

3 Line following

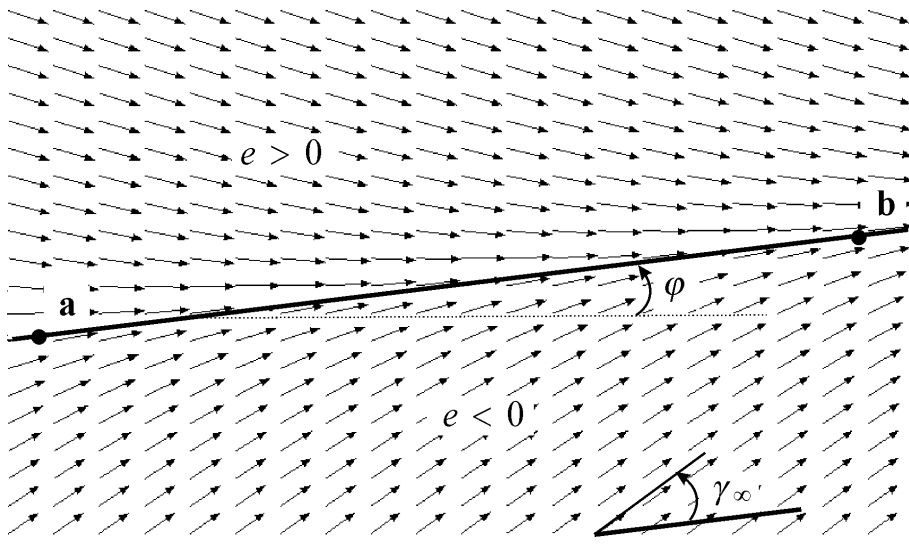


$$\begin{cases} \delta_r &= \begin{cases} \delta_r^{\max} \cdot \sin(\theta - \bar{\theta}) & \text{if } \cos(\theta - \bar{\theta}) \geq 0 \\ \delta_r^{\max} \cdot \text{sign}(\sin(\theta - \bar{\theta})) & \text{otherwise} \end{cases} \\ \delta_s^{\max} &= \frac{\pi}{2} \cdot \left(\frac{\cos(\psi - \bar{\theta}) + 1}{2} \right)^q . \end{cases}$$



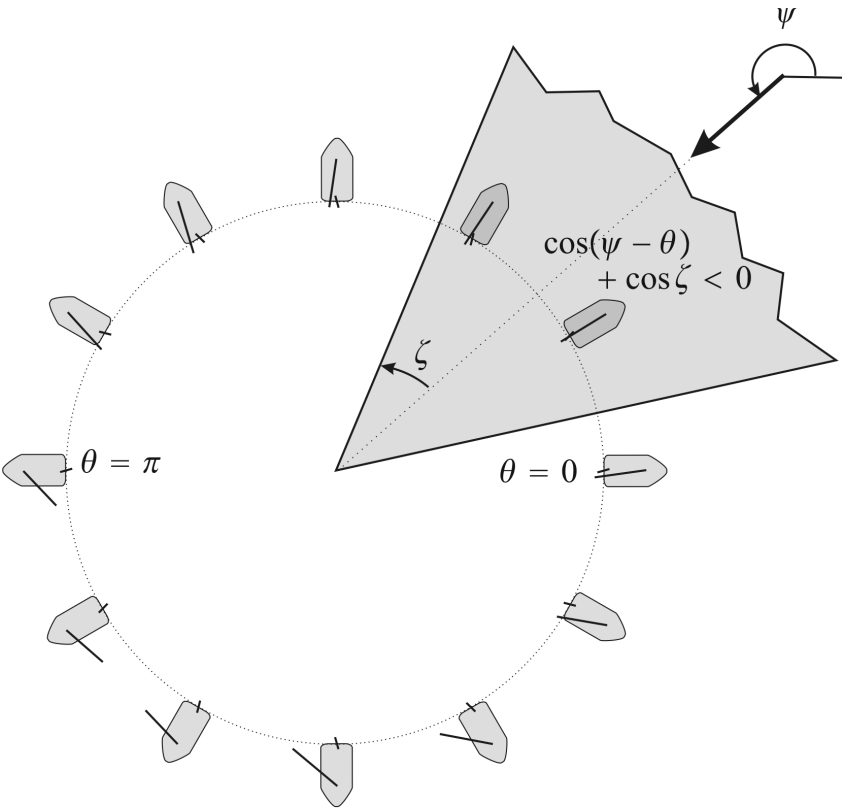


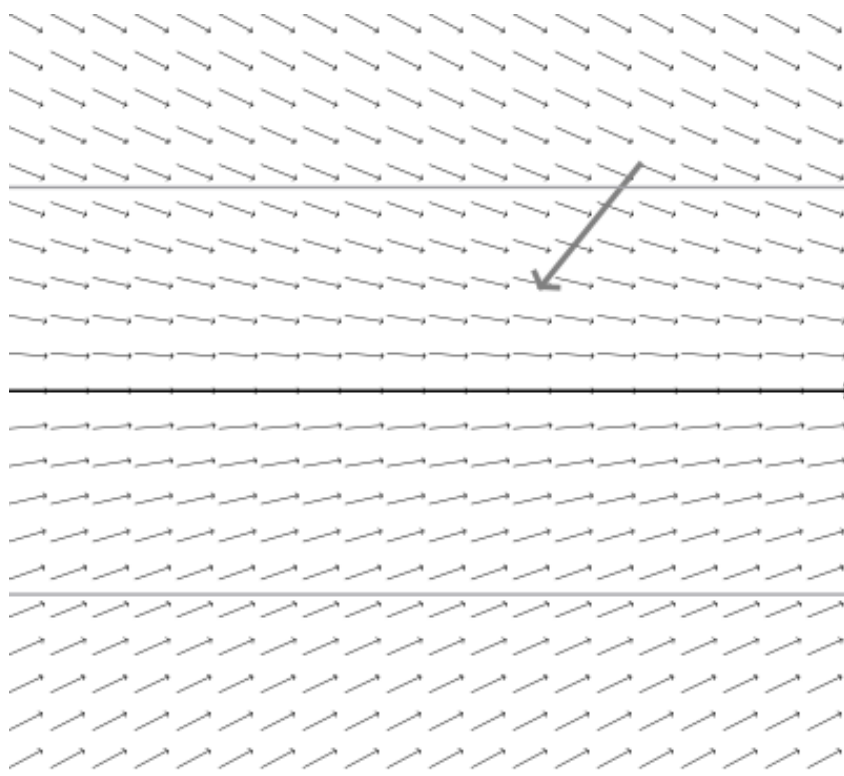
$$q = \frac{\log\left(\frac{\pi}{2\beta}\right)}{\log(2)}$$

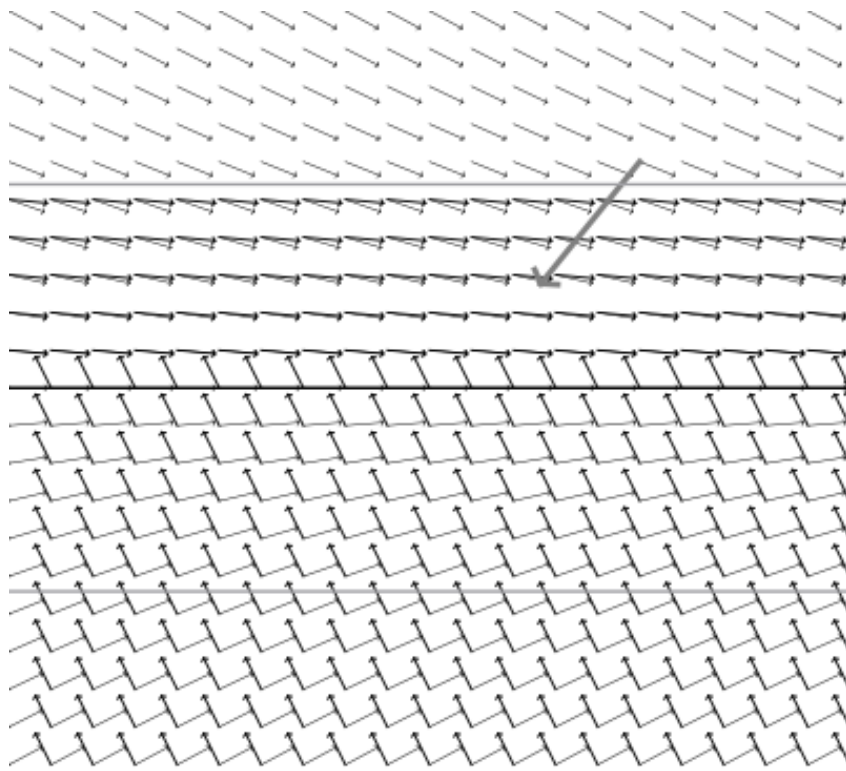


$$\theta^* = \varphi - \frac{2 \cdot \gamma_{\infty}}{\pi} \cdot \text{atan} \left(\frac{e}{r} \right).$$

A course θ^* may be unfeasible







Keep close hauled strategy.

<http://youtu.be/pHteidmZpnY>

4 Régulateur

Régulateur $\bar{\theta}$ (\mathbf{m} , \mathbf{a} , \mathbf{b} , ψ , γ_∞ , r , ζ)

```
1   $e = \det \left( \frac{\mathbf{b}-\mathbf{a}}{\|\mathbf{b}-\mathbf{a}\|}, \mathbf{m} - \mathbf{a} \right)$ 
2   $\varphi = \text{atan2}(\mathbf{b} - \mathbf{a})$ 
3   $\theta^* = \varphi - \frac{2 \cdot \gamma_\infty}{\pi} \cdot \text{atan}\left(\frac{e}{r}\right)$ 
4  if  $\cos(\psi - \theta^*) + \cos \zeta < 0$ 
5    or ( $|e| < r$  and  $(\cos(\psi - \varphi) + \cos(\zeta) < 0)$ )
6    then  $\bar{\theta} = \pi + \psi - \zeta \cdot \text{sign}(e)$ ;
7    else  $\bar{\theta} = \theta^*$ ;
8  end
```

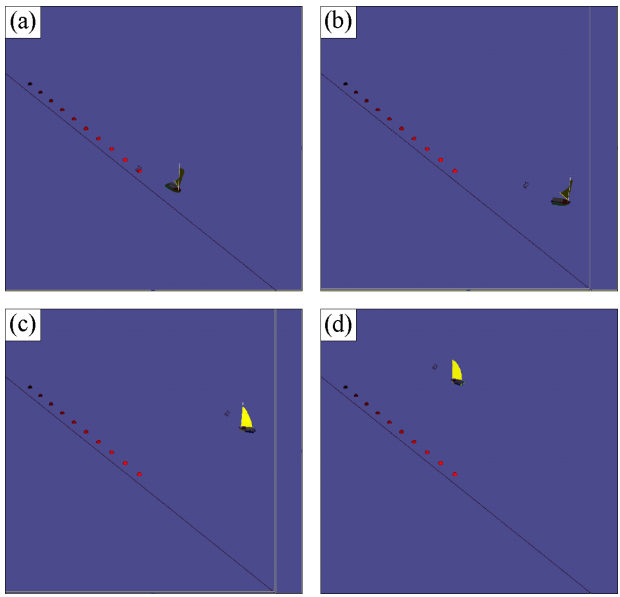
Sans hystérésis

Régulateur in: $\mathbf{m}, \theta, \psi, \mathbf{a}, \mathbf{b}$; out: $\delta_r, \delta_s^{\max}$; inout: q

```
1   $e = \det \left( \frac{\mathbf{b}-\mathbf{a}}{\|\mathbf{b}-\mathbf{a}\|}, \mathbf{m} - \mathbf{a} \right)$ 
2  if  $|e| > \frac{r}{2}$  then  $q = \text{sign}(e)$ 
3   $\varphi = \text{atan2}(\mathbf{b} - \mathbf{a})$ 
4   $\theta^* = \varphi - \frac{2 \cdot \gamma_\infty}{\pi} \cdot \text{atan} \left( \frac{e}{r} \right)$ 
5  if  $\cos(\psi - \theta^*) + \cos \zeta < 0$ 
6    or ( $|e| < r$  and  $(\cos(\psi - \varphi) + \cos \zeta < 0)$ )
7    then  $\bar{\theta} = \pi + \psi - q \cdot \zeta$ .
8    else  $\bar{\theta} = \theta^*$ 
9  end
10 if  $\cos(\theta - \bar{\theta}) \geq 0$  then  $\delta_r = \delta_r^{\max} \cdot \sin(\theta - \bar{\theta})$ 
11 else  $\delta_r = \delta_r^{\max} \cdot \text{sign}(\sin(\theta - \bar{\theta}))$ 
12  $\delta_s^{\max} = \frac{\pi}{2} \cdot \left( \frac{\cos(\psi - \bar{\theta}) + 1}{2} \right)^q$ .
```

Avec hystérésis

5 Validation par simulation



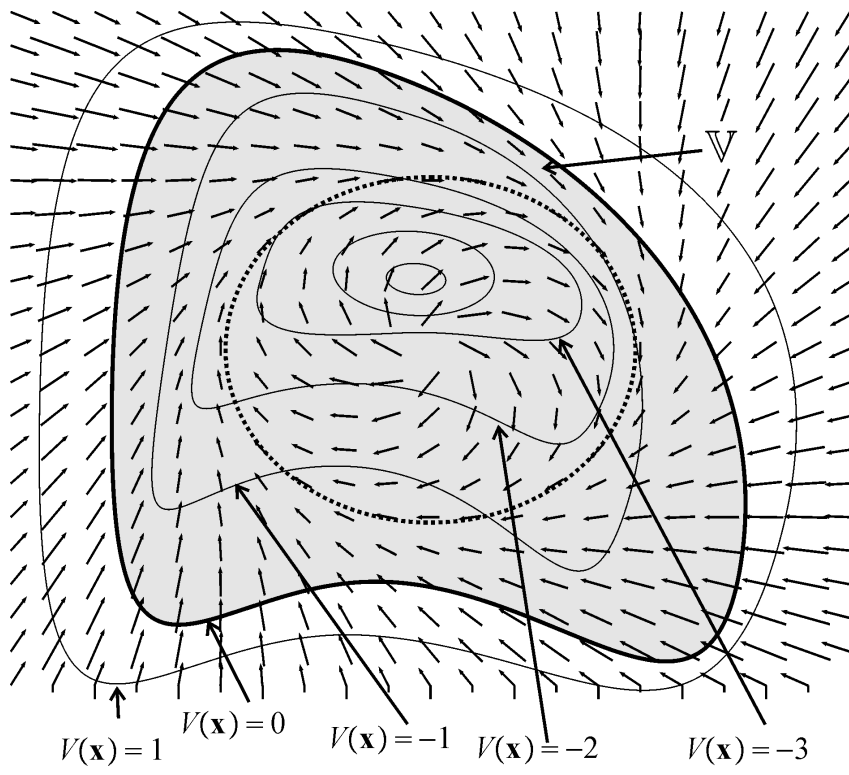
6 Validation théorique

The controlled robot:

$$\dot{\mathbf{x}} = \mathbf{f}(\mathbf{x}).$$

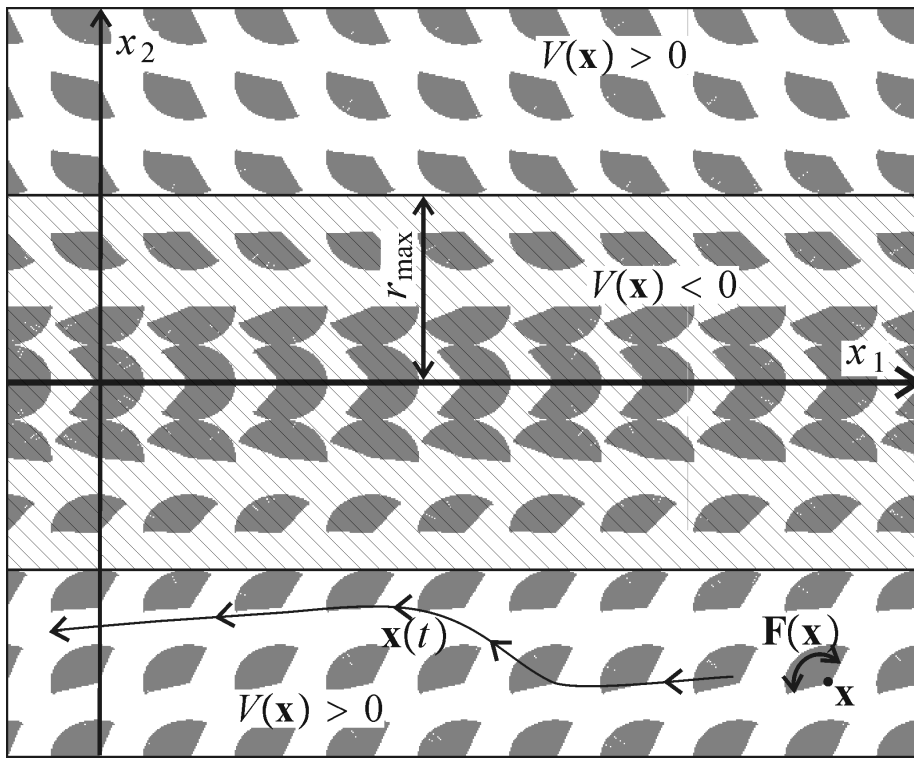
Definition. Consider a differentiable function $V(\mathbf{x})$. The system is V -stable if $\exists \varepsilon > 0$ such that

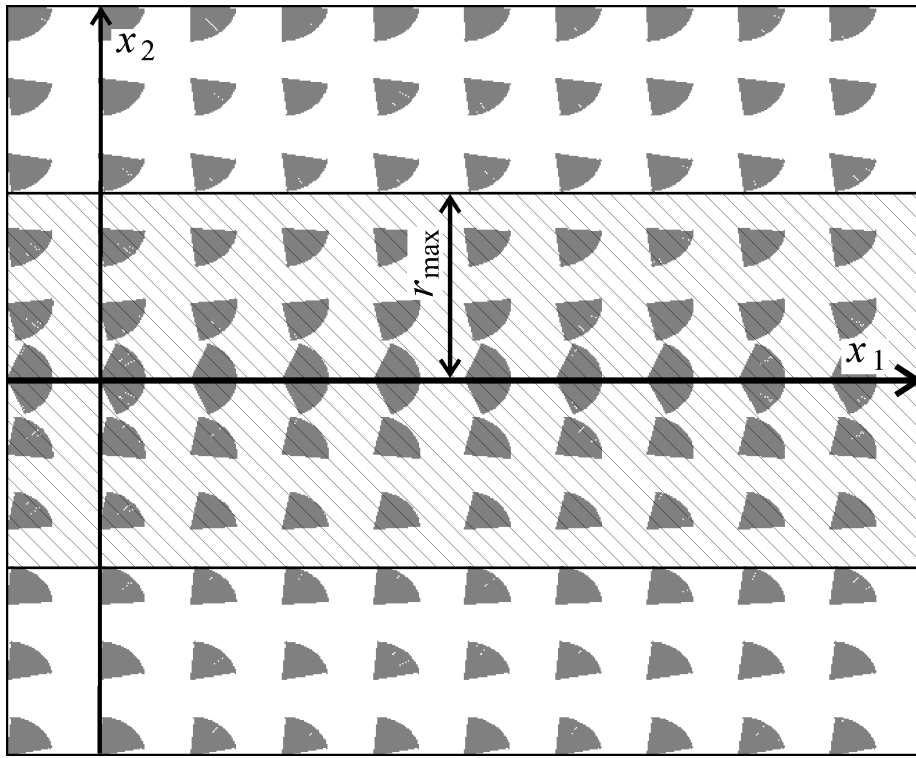
$$\left(V(\mathbf{x}) \geq 0 \Rightarrow \dot{V}(\mathbf{x}) \leq -\varepsilon \right).$$



Theorem. If the system is V -stable then

- (i) $\forall \mathbf{x}(0), \exists t \geq 0$ such that $V(\mathbf{x}(t)) < 0$
- (ii) if $V(\mathbf{x}(t)) < 0$ then $\forall \tau > 0, V(\mathbf{x}(t + \tau)) < 0$.





7 Validation expérimentale

